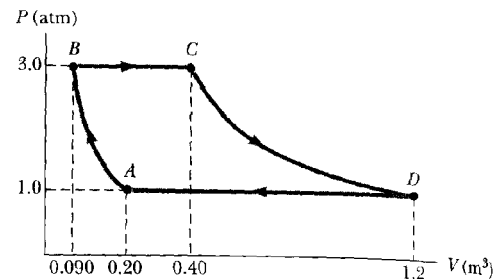


- [Serway Chapter 20 Problem 2, pg 577]  
An 80 kg weight watcher wishes to climb a mountain to work off the equivalent of a large piece of chocolate cake rated at 700 (food) Calories. How high must the person climb?
- [Serway Chapter 20 Problem 15, pg 578]  
A water heater is operated by solar power. If the solar collector has an area of  $6.0 \text{ m}^2$  and the power delivered by sunlight is  $550 \text{ W/m}^2$ , how long does it take to increase the temperature of  $1.0 \text{ m}^3$  of water from  $20 \text{ }^\circ\text{C}$  to  $60 \text{ }^\circ\text{C}$ ?

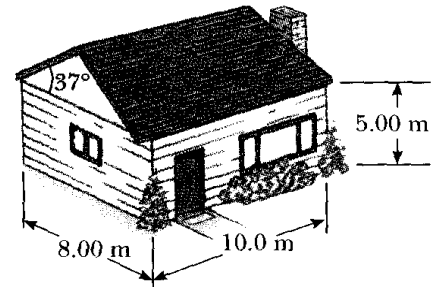
- [Serway Chapter 20 Problem 40, pg 580]  
An ideal gas system goes through the process shown in the figure.

- From A to B, the process is adiabatic.
- From B to C, the process is isobaric with  $100 \text{ kJ}$  of heat flowing into the system.
- From C to D, the process is isothermal.
- From D to A, the process is isobaric with  $150 \text{ kJ}$  of heat flowing out of the system.



Determine the difference in internal energy  $U_B - U_A$ .

- [Serway Chapter 20 Problem 72, pg 583]  
The average thermal conductivity of the walls (including the windows) and roof of the house shown is  $0.48 \text{ W/m}^\circ\text{C}$ , and their average thickness is  $21 \text{ cm}$ . The house is heated with natural gas having a heat of combustion (heat given off per cubic meter of gas burned) of  $9600 \text{ kcal/m}^3$ . How many cubic meters of gas must be burned each day to maintain an inside temperature of  $25.0 \text{ }^\circ\text{C}$  if the outside temperature is  $0.0 \text{ }^\circ\text{C}$ ? Disregard radiation and heat loss through the ground.



- [Serway Chapter 20 Problem 82, pg 584]  
A pond of water at  $0 \text{ }^\circ\text{C}$  is covered with a layer of ice  $4.0 \text{ cm}$  thick. If the air temperature stays constant at  $-10 \text{ }^\circ\text{C}$ , how long will it take before the ice thickens to  $8.0 \text{ cm}$ ? (Hint: To solve this problem, utilize  $dQ/dt = kA \Delta T/x$  and note that the incremental heat  $dQ$  extracted from the water through the thickness  $x$  of ice is the amount required to freeze a thickness  $dx$  of ice. That is  $dQ = L\rho A dx$ , where  $\rho$  is the density of the ice,  $A$  is the area, and  $L$  is the latent heat of freezing.)